

IN THE CLAIMS:

Please amend claims 4-8 and 11-14 as follows.

1. (Original) A method for selecting a swapping technique from a group consisting of a bit-swapping and a gain-swapping techniques in a discrete multi-tone (DMT) system having multiple sub-channels, gain factor constraints, a threshold index value (T), and a maximum mean square error (MSE<sub>max</sub>) and a minimum mean square error (MSE<sub>min</sub>), the method comprising:

determining a first index value (I) and a second index value (J) based on MSE<sub>max</sub>, MSE<sub>min</sub> and said gain factor constraints according to a predetermined manner, I denoting range of improvement when adopting the gain-swapping as the swapping technique, and J denoting range of improvement when adopting a combination of the gain-swapping and the bit-swapping as the swapping technique; determine whether larger one of I and J is larger than T;

if larger one of I and J is larger than T, determining whether I is equal to or larger than J; and selecting the gain-swapping as the swapping technique if I is equal to or larger than J.

1. (Original) The method as recited in claim 1, further comprising a step of selecting a combination of gain-swapping and bit-swapping as the swapping technique if I is smaller than J.

2. (Currently Amended) The method as recited in claim 1, wherein the gain factor constraints have a maximum gain factor constraint (G<sub>cm</sub>) and a minimum gain factor constraint (G<sub>cn</sub>), g<sub>max</sub> denotes the gain of the sub-channel respecting MSE<sub>max</sub>, g<sub>min</sub> denotes the gain of the sub-channel respecting MSE<sub>min</sub>, said predetermined manner comprises the steps of:

obtaining a ~~first~~ gain margin value (Gmv<sub>1</sub>) by subtracting  $g_{\max}$  from  $G_{\text{cm}}$ , and obtaining ~~an~~ ~~second~~ another gain margin value (Gmv'\_2) by subtracting  $G_{\text{cn}}$  from  $g_{\min}$ ;  
obtaining a ~~first~~ parameter (P<sub>1</sub>) by subtracting  $MSE_{\min}$  from  $MSE_{\max}$ ; and  
obtaining the I by doubling a smallest one of the group consisting of Gmv<sub>1</sub>, Gmv'\_2 and (0.5\*P<sub>1</sub>).

3. (Currently Amended) The method as recited in claim 1, wherein the gain factor constraints have a maximum gain factor constraint ( $G_{\text{cm}}$ ) and a minimum gain factor constraint ( $G_{\text{cn}}$ ),  $g_{\max}$  denotes the gain of the sub-channel respecting  $MSE_{\max}$ ,  $g_{\min}$  denotes the gain of the sub-channel respecting  $MSE_{\min}$ ,  $MSE_{\text{avgbs}}$  denotes an arithmetic average of  $MSE_{\max}$  and  $MSE_{\min}$  after bit-swapping and  $MSE_{\text{maxbs}}$  denotes  $MSE_{\max}$  after bit-swapping and  $MSE_{\minbs}$  denotes  $MSE_{\min}$  after bit-swapping, and as  $MSE_{\text{maxbs}}$  is smaller than  $MSE_{\text{avgbs}}$ , the predetermined manner comprises the steps of:

obtaining a ~~third~~ gain margin value (Gmv<sub>b3</sub>) by subtracting  $G_{\text{cn}}$  from  $g_{\max}$ , and obtaining a ~~fourth~~ another gain margin value (Gmv'\_b4) by subtracting  $g_{\min}$  from  $G_{\text{cm}}$ ;  
obtaining a ~~second~~ parameter (P2) by subtracting  $MSE_{\text{maxbs}}$  from  $MSE_{\minbs}$ ;  
obtaining ~~an~~ ~~third~~ another parameter (P'\_3) by subtracting  $MSE_{\text{maxbs}}$  and a smallest one of the group, consisting of Gmv<sub>b3</sub>, Gmv'\_b4 and (0.5\*P2), from  $MSE_{\text{avgbs}}$ ; and  
obtaining the J by subtracting  $MSE_{\min}$  and (2\*P'\_3) from  $MSE_{\max}$ .

4. (Currently Amended) The method as recited in claim 1, wherein the gain factor constraints have a maximum gain factor constraint ( $G_{\text{cm}}$ ) and a minimum gain factor constraint ( $G_{\text{cn}}$ ),  $g_{\max}$  denotes the gain of the sub-channel respecting  $MSE_{\max}$ ,  $g_{\min}$  denotes the gain of the sub-channel respecting  $MSE_{\min}$ ,  $MSE_{\text{avgbs}}$  denotes the arithmetic average of  $MSE_{\max}$  and  $MSE_{\min}$  after bit-swapping and  $MSE_{\text{maxbs}}$  denotes  $MSE_{\max}$  after bit-swapping and

$MSE_{minbs}$  denotes  $MSE_{min}$  after bit-swapping, and as  $MSE_{maxbs}$  is not smaller than  $MSE_{avgbs}$ , the predetermined manner comprises the steps of:

obtaining a ~~fifth~~ gain margin value ( $Gmv_5$ ) by subtracting  $g_{max}$  from  $Gcm$ , and  
obtaining ~~an~~ ~~sixth~~ another gain margin value ( $Gmv'_6$ ) by subtracting  $Gcn$  from  $g_{min}$ ;  
obtaining a ~~fourth~~ parameter ( $P4$ ) by subtracting  $MSE_{minbs}$  from  $MSE_{maxbs}$ ;  
obtaining ~~an~~ ~~fifth~~ another parameter ( $P'_5$ ) by subtracting  $MSE_{avgbs}$  and a  
smallest one of the group, consisting of  $Gmv_5$ ,  $Gmv'_6$  and  $(0.5*P4)$ , from  $MSE_{maxbs}$ ; and  
obtaining the  $J$  by subtracting  $MSE_{min}$  and  $(2*P'_5)$  from  $MSE_{max}$ .

5. (Currently Amended) The method as recited in claim 1, wherein the gain factor constraints have a maximum gain factor constraint ( $Gcm$ ) and a minimum gain factor constraint ( $Gcn$ ),  $g_{max}$  denotes the gain of the sub-channel respecting  $MSE_{max}$ ,  $g_{min}$  denotes the gain of the sub-channel respecting  $MSE_{min}$ ,  $MSE_{avgbs}$  denotes the arithmetic average of  $MSE_{max}$  and  $MSE_{min}$  after bit-swapping,  $MSE_{maxbs}$  denotes  $MSE_{max}$  after bit-swapping,  $MSE_{minbs}$  denotes  $MSE_{min}$  after bit-swapping, and as  $MSE_{maxbs}$  is smaller than  $MSE_{avgbs}$ , the predetermined manner comprises the steps of:

obtaining a ~~seventh~~ gain margin value ( $Gmv_{b7}$ ) by subtracting  $Gcn$  from  $g_{max}$ , and obtaining ~~an~~ ~~eight~~ another gain margin value ( $Gmv'_{b8}$ ) by subtracting  $g_{min}$  from  $Gcm$ ;  
obtaining a ~~sixth~~ parameter ( $P6$ ) by subtracting  $MSE_{maxbs}$  from  $MSE_{minbs}$ ;  
obtaining ~~an~~ ~~seventh~~ another parameter ( $P'_7$ ) by subtracting a smallest one of the group, consisting of  $Gmv_{b7}$ ,  $Gmv'_{b8}$  and  $(0.5*P6)$ , and  $MSE_{avgbs}$  from  $MSE_{minbs}$ ; and  
obtaining the  $J$  by subtracting  $MSE_{min}$  and  $(2*P'_7)$  from  $MSE_{max}$ .

6. (Currently Amended) The method as recited in claim 1, wherein the gain factor constraints have a maximum gain factor constraint ( $Gcm$ ) and a minimum gain factor constraint ( $Gcn$ ),  $g_{max}$  denotes the gain of the sub-channel respecting  $MSE_{max}$ ,  $g_{min}$  denotes

the gain of the channel respecting  $MSE_{min}$ ,  $MSE_{avgbs}$  denotes the arithmetic average of  $MSE_{max}$  and  $MSE_{min}$  after bit-swapping,  $MSE_{maxbs}$  denotes  $MSE_{max}$  after bit-swapping,  $MSE_{minbs}$  denotes  $MSE_{min}$  after bit-swapping, and as  $MSE_{maxbs}$  is not smaller than  $MSE_{avgbs}$ , the predetermined manner comprises the steps of:

obtaining a ~~ninth~~ gain margin value (Gmv-9) by subtracting  $g_{max}$  from  $Gcm$ , and obtaining ~~an tenth~~ another gain margin value (Gmv'\_10) by subtracting  $Gcn$  from  $g_{min}$ ;

obtaining a ~~eighth~~ parameter (P8) by subtracting  $MSE_{minbs}$  from  $MSE_{maxbs}$ ;

obtaining ~~an ninth~~ another parameter (P'\_9) by subtracting  $MSE_{minbs}$  and a smallest one of the group, consisting of Gmv9, Gmv'\_10 and (0.5\*P8), from  $MSE_{avgbs}$ ; and

obtaining the J by subtracting  $MSE_{min}$  and (2\*P'\_9) from  $MSE_{max}$ .

7. (Currently Amended) A method for performing gain-swapping in a discrete multi-tone (DMT) system having multiple sub-channels, gain factor constraints, and a maximum mean square error ( $MSE_{max}$ ) and a minimum mean square error ( $MSE_{min}$ ), wherein the gain factor constraints have a maximum gain factor constraint ( $Gcm$ ) and a minimum gain factor constraint ( $Gcn$ ),  $g_{max}$  denotes the gain of the sub-channel respecting  $MSE_{max}$ ,  $g_{min}$  denotes the gain of the channel respecting  $MSE_{min}$ , said method comprising the steps of:

obtaining ~~an eleventh~~ gain margin value (Gmv11) by subtracting  $g_{max}$  from  $Gcm$ , and obtaining ~~an twelfth~~ another gain margin value (Gmv'\_12) by subtracting  $Gcn$  from  $g_{min}$ ;

obtaining a ~~tenth~~ parameter (P10) by subtracting  $MSE_{min}$  from  $MSE_{max}$ ;

obtaining the value MIN of the smallest one of the group consisting of Gmv11, Gmv'\_12 and (0.5\*P10); and

adding gain in amount of MIN to the sub-channel having  $MSE_{max}$  and subtracting gain in amount of MIN from the sub-channel having  $MSE_{min}$ .

8. (Original) A swapping technique selector for selecting an optimal swapping technique from a group consisting of a bit-swapping and a gain-swapping techniques in a discrete multi-tone (DMT) system having multiple sub-channels, gain factor constraints, and a threshold index value (T) and a maximum mean square error ( $MSE_{max}$ ) and a minimum mean square error ( $MSE_{min}$ ), the swapping technique selector comprising:

a performance improvement pre-calculator for determining a first index value (I) and a second index value (J) based on  $MSE_{max}$ ,  $MSE_{min}$  and said gain factor constraints according to a predetermined manner, I denoting range of improvement when adopting the gain-swapping as the optimal swapping technique, and J denoting range of improvement when adopting a combination of the gain-swapping and the bit-swapping as the optimal swapping technique;

a threshold comparator, connected to the performance improvement pre-calculator, for determining whether larger one of I and J is larger than T;

a performance improvement comparator, connected to the threshold comparator, for selectively determining whether I is equal to or larger than J; and

a swapping technique selection device, connected to the performance improvement comparator, for selecting either the gain-swapping or the combination of gain-swapping and bit-swapping as the optimal swapping technique.

9. (Currently Amended) The selector of claim 9, wherein the gain factor constraints have a maximum gain factor constraint ( $G_{cm}$ ) and a minimum gain factor constraint ( $G_{cn}$ ),  $g_{max}$  denotes the gain of the sub-channel respecting  $MSE_{max}$ ,  $g_{min}$  denotes the gain of the sub-channel respecting  $MSE_{min}$ , said predetermined manner comprises the steps of:

obtaining a ~~first~~ gain margin value (Gmv<sub>1</sub>) by subtracting  $g_{\max}$  from  $G_{\text{cm}}$ , and obtaining ~~an~~ ~~second~~ another gain margin value (Gmv<sub>2</sub>) by subtracting  $G_{\text{cn}}$  from  $g_{\min}$ ;  
obtaining a ~~first~~ parameter (P<sub>1</sub>) by subtracting  $\text{MSE}_{\min}$  from  $\text{MSE}_{\max}$ ; and  
obtaining the I by doubling a smallest one of the group consisting of Gmv<sub>1</sub>, Gmv<sub>2</sub> and (0.5\*P<sub>1</sub>).

10. (Currently Amended) The selector of claim 9, wherein the gain factor constraints have a maximum gain factor constraint ( $G_{\text{cm}}$ ) and a minimum gain factor constraint ( $G_{\text{cn}}$ ),  $g_{\max}$  denotes the gain of the sub-channel respecting  $\text{MSE}_{\max}$ ,  $g_{\min}$  denotes the gain of the sub-channel respecting  $\text{MSE}_{\min}$ ,  $\text{MSE}_{\text{avgbs}}$  denotes an arithmetic average of  $\text{MSE}_{\max}$  and  $\text{MSE}_{\min}$  after bit-swapping and  $\text{MSE}_{\text{maxbs}}$  denotes  $\text{MSE}_{\max}$  after bit-swapping, and as  $\text{MSE}_{\text{maxbs}}$  is smaller than  $\text{MSE}_{\text{avgbs}}$ , the predetermined manner comprises the steps of: obtaining a ~~third~~ gain margin value (Gmv<sub>3</sub>) by subtracting  $G_{\text{cn}}$  from  $g_{\max}$ , and obtaining ~~an~~ ~~fourth~~ another gain margin value (Gmv<sub>4</sub>) by subtracting  $g_{\min}$  from  $G_{\text{cm}}$ ;

obtaining a ~~second~~ parameter (P<sub>2</sub>) by subtracting  $\text{MSE}_{\text{maxbs}}$  from  $\text{MSE}_{\text{minbs}}$ ;  
obtaining ~~an~~ ~~third~~ another parameter (P<sub>3</sub>) by subtracting  $\text{MSE}_{\text{maxbs}}$  and a smallest one of the group, consisting of Gmv<sub>3</sub>, Gmv<sub>4</sub> and (0.5\*P<sub>2</sub>), from  $\text{MSE}_{\text{avgbs}}$ ; and  
obtaining the J by subtracting  $\text{MSE}_{\min}$  and (2\*P<sub>3</sub>) from  $\text{MSE}_{\max}$ .

11. (Currently Amended) The selector of claim 9, wherein the gain factor constraints have a maximum gain factor constraint ( $G_{\text{cm}}$ ) and a minimum gain factor constraint ( $G_{\text{cn}}$ ),  $g_{\max}$  denotes the gain of the sub-channel respecting  $\text{MSE}_{\max}$ ,  $g_{\min}$  denotes the gain of the sub-channel respecting  $\text{MSE}_{\min}$ ,  $\text{MSE}_{\text{avgbs}}$  denotes the arithmetic average of  $\text{MSE}_{\max}$  and  $\text{MSE}_{\min}$  after bit-swapping and  $\text{MSE}_{\text{maxbs}}$  denotes  $\text{MSE}_{\max}$  after bit-swapping and  $\text{MSE}_{\text{minbs}}$  denotes  $\text{MSE}_{\min}$  after bit-swapping, and as  $\text{MSE}_{\text{maxbs}}$  is not smaller than  $\text{MSE}_{\text{avgbs}}$ , the predetermined manner comprises the steps of:

obtaining a ~~fifth~~ gain margin value (Gmv~~5~~) by subtracting  $g_{max}$  from  $G_{cm}$ , and obtaining ~~an~~ ~~sixth~~ another gain margin value (Gmv'\_6) by subtracting  $G_{cn}$  from  $g_{min}$ ;

obtaining a ~~fourth~~ parameter (P4) by subtracting  $MSE_{minbs}$  from  $MSE_{maxbs}$ ;

obtaining ~~an~~ ~~fifth~~ another parameter (P'\_5) by subtracting  $MSE_{avgbs}$  and a smallest one of the group, consisting of Gmv~~5~~, Gmv'\_6 and (0.5\*P4), from  $MSE_{maxbs}$ ; and

obtaining the J by subtracting  $MSE_{min}$  and (2\*P'\_5) from  $MSE_{max}$ .

12. (Currently Amended) The selector of claim 9, wherein the gain factor constraints have a maximum gain factor constraint ( $G_{cm}$ ) and a minimum gain factor constraint ( $G_{cn}$ ),  $g_{max}$  denotes the gain of the sub-channel respecting  $MSE_{max}$ ,  $g_{min}$  denotes the gain of the sub-channel respecting  $MSE_{min}$ ,  $MSE_{avgbs}$  denotes the arithmetic average of  $MSE_{max}$  and  $MSE_{min}$  after bit-swapping,  $MSE_{maxbs}$  denotes  $MSE_{max}$  after bit-swapping,  $MSE_{minbs}$  denotes  $MSE_{min}$  after bit-swapping, and as  $MSE_{maxbs}$  is smaller than  $MSE_{avgbs}$ , the predetermined manner comprises the steps of:

obtaining a ~~seventh~~ gain margin value (Gmv<sub>b</sub>~~7~~) by subtracting  $G_{cn}$  from  $g_{max}$ , and obtaining ~~an~~ ~~eight~~ another gain margin value (Gmv'\_<sub>b</sub>8) by subtracting  $g_{min}$  from  $G_{cm}$ ;

obtaining a ~~sixth~~ parameter (P6) by subtracting  $MSE_{maxbs}$  from  $MSE_{minbs}$ ;

obtaining ~~an~~ ~~seventh~~ another parameter (P'\_7) by subtracting a smallest one of the group consisting of Gmv<sub>b</sub>~~7~~, Gmv'\_<sub>b</sub>8 and (0.5\*P6) and  $MSE_{avgbs}$  from  $MSE_{minbs}$ ; and

obtaining the J by subtracting  $MSE_{min}$  and (2\*P'\_7) from  $MSE_{max}$ .

13. (Currently Amended) The selector of claim 9, wherein the gain factor constraints have a maximum gain factor constraint ( $G_{cm}$ ) and a minimum gain factor constraint ( $G_{cn}$ ),  $g_{max}$  denotes the gain of the sub-channel respecting  $MSE_{max}$ ,  $g_{min}$  denotes the gain of the channel respecting  $MSE_{min}$ ,  $MSE_{avgbs}$  denotes the arithmetic average of  $MSE_{max}$  and  $MSE_{min}$  after bit-swapping,  $MSE_{maxbs}$  denotes  $MSE_{max}$  after bit-swapping,  $MSE_{minbs}$

denotes  $MSE_{min}$  after bit-swapping, and as  $MSE_{maxbs}$  is not smaller than  $MSE_{avgbs}$ , the predetermined manner comprises the steps of:

- obtaining a ~~ninth~~ gain margin value (Gmv-9) by subtracting  $g_{max}$  from  $G_{cm}$ , and obtaining ~~an tenth~~ another gain margin value (Gmv'10) by subtracting  $G_{cn}$  from  $g_{min}$ ;
- obtaining a ~~eighth~~ parameter (P8) by subtracting  $MSE_{minbs}$  from  $MSE_{maxbs}$ ;
- obtaining ~~an ninth~~ another parameter (P'9) by subtracting  $MSE_{minbs}$  and a smallest one of the group consisting of Gmv9, Gmv'10 and (0.5\*P8) from  $MSE_{avgbs}$ ; and
- obtaining the J by subtracting  $MSE_{min}$  and (2\*P'9) from  $MSE_{max}$ .